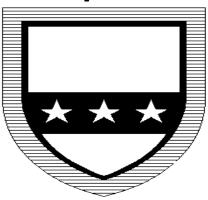
Poulton Lancelyn Primary School



How we teach calculations: Calculation Policy for Mathematics

April 2018

About our Calculation Policy

The following calculation policy has been devised to meet requirements of the National Curriculum 2014 for the teaching and learning of mathematics, and is also designed to give pupils a consistent and smooth progression of learning in calculations across the school so that they become fluent mathematicians. Please note that early learning in number and calculation in <u>Reception</u> follows the "Development Matters" EYFS document, and this calculation policy is designed to build on progressively from the content and methods established in the Early Years Foundation Stage.

Age stage expectations

The calculation policy is organised according to age stage expectations as set out in the National Curriculum 2014, however it is vital that pupils are taught according to the stage that they are currently working at, being moved onto the next level as soon as they are ready, or working at a lower stage until they are secure enough to move on.

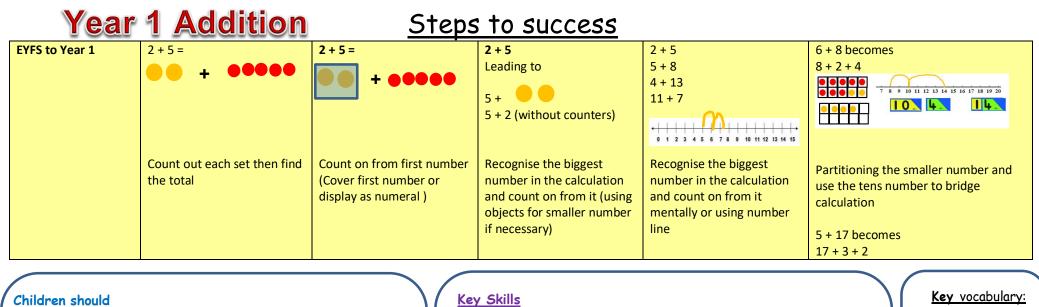
Providing a context for calculation:

It is important that any type of calculation is given a real life context or problem solving approach to help build children's understanding of the purpose of calculation, and to help them recognise when to use certain operations and methods when faced with problems. This must be a priority within calculation lessons.

Choosing a calculation method:

Children need to be taught and encouraged to use the following processes in deciding what approach they will take to a calculation, to ensure they select the most appropriate method for the numbers involved:





-Have access to a wide range of counting equipment, everyday objects, number tracks and number lines, and be shown numbers in different contexts.

-Read and write the addition (+) and equals (=) signs within number sentences.

-Interpret addition number sentences and solve missing box problems, using concrete objects and number line addition to solve them

8 + 3 = 15 + 4 = 0 5 + 3 + 1 = 0

Read and write numbers to 100 in numerals, incl. 1—20 in words
Recall bonds of numbers to 10 and of all numbers to 20, and addition facts within 20

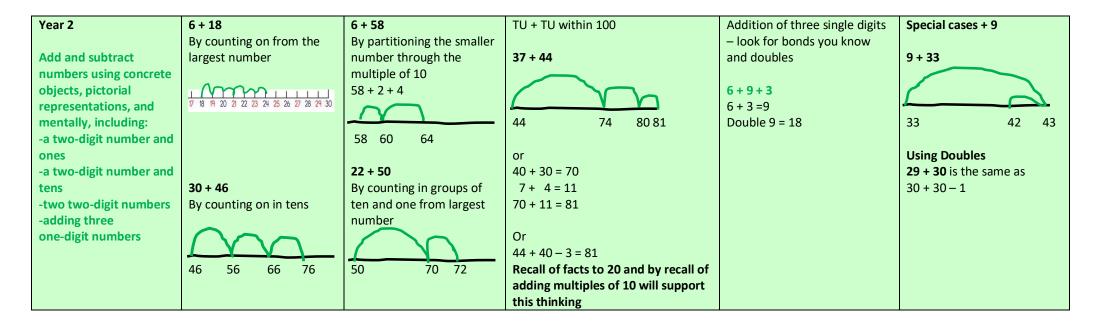
- Count to and across 100
- Count in multiples of 1, 2, 5 and 10

• Solve simple 1-step problems involving addition, using objects, number lines and pictorial representations.

add, more, plus, and, make, altogether, total, equal to, equals, double, most, count on, number line

Year 2 Addition Steps to success

Developing mental fluency with addition and place value involving 2-digit numbers, then establish more formal methods.



<u>Key Skills</u>

- Add a 2-digit number and ones (e.g. 27 + 6)
- Add a 2-digit number and tens (e.g. 23 + 40)
- Add pairs of 2-digit numbers (e.g. 35 + 47)
- Add three single-digit numbers (e.g. 5 + 9 + 7)
- Show that adding can be done in any order (the commutative law).

- Recall bonds of any number to 20 and bonds of tens to 100 (30 + 70 etc.)
- Count in steps of 2, 3 and 5 and count in tens from any number.
- Understand the place value of 2-digit numbers (tens and ones)
- Compare and order numbers to 100 using < > and = signs.
- Read and write numbers to at least 100 in numerals and words.
- Solve problems with addition, using concrete objects, pictorial representations, involving numbers, quantities and measures, and applying mental and written methods.

Key vocabulary:

add, more, plus, and, make, altogether, total, equal to, equals, double, most, count on, number line

Year 3 Addition

Steps to success

Year 3	Introduce the expanded	Special cases	Partitioning		ee digit + 2 digit	Addition of numbers
	column addition		Adding ones and tens	numbers and 3	-digit + 3 digit	with decimal places
Add and subtract numbers	method	66 + 79	to a 3digit number			
mentally, including:			_	268	268	
-a three-digit number and ones	Partitioning the	80 +66 - 1 = 145	356 + 8	79	179	
-a three-digit number and tens	numbers for TU + TU		356 + 4 + 4 = 364	$\frac{79}{17}$	$\frac{110}{17}$	1.5 + 1.5
-a three-digit number and	across 100. Adding the	Using doubles		130		Double 1 and double
hundreds	units in preparation for			200	130	0.5
Two 2-digit numbers across 100	the compact method	76 + 78	356 + 70	$\frac{200}{347}$	300	
(non-statutory guidance)	·	Double 70 + double 6 + 2	350 + 70 + 6 = 420		447	
, , ,	55 + 78	Double 70 + double 8 – 2		Children need to	o understand the	1.6 + 1.7
Add and subtract numbers with	8 + 5 = 13		356 + 600	value of the digi	ts without	1.7 + 0.3 + 1.3 = 3.3
up to three digits, using formal	70 + 50 = 120	Recall of facts to 20 and	600 + 300 + 56 = 956	recording the pa		
written methods of column	133	by adding multiples of 10			e able to add in	
addition and subtraction		will support this thinking			en may begin to	
				use compact co		
				with carrying.		
				carryingi		
<u>Key Skills</u>		 Solve 	e problems, including missi	ing number proble	ms. usina	Key vocabulary

- Read and write numbers to 1000 in numerals and words.
- Add 2-digit numbers mentally, incl. those exceeding 100.
- Add a three-digit number and ones mentally (175 + 8)
- Add a three-digit number and tens mentally (249 + 50)
- Add a three-digit number and hundreds mentally (381 + 400)
- Estimate answers to calculations, using inverse to check answers.

- number facts, place value, and more complex addition.
- Recognise place value of each digit in 3-digit numbers (hundreds, tens, ones.)
- Continue to practise a wide range of mental addition strategies, ie. number bonds, adding the nearest
- multiple of 10, 100, 1000 and adjusting, using near doubles, partitioning and recombining.

<u>(ey vocabulary</u> hundreds boundary, increase, vertical, carry, expanded, compact

Year 4 Addition

Steps to success

Year 4	Using mental strategy where appropriate	Addition of three digit + 3-digit and four digit + four digit	Addition of numbers to 2 decimal places
Add and subtract numbers with up to 4 digits using the formal written methods of columnar addition and subtraction where appropriate	1460 + 499 1460 + 500 - 1 = 1959 2560 + 3570 6000 + 130 = 7130 2524 + 3176 5600 + 100 (number bond) = 5700	Move from expanded addition to the compact column method, adding units first, and 'carrying' numbers underneath the calculation. Also include money and measures contexts. $576 7268 \\ \frac{369}{945} $	$ \begin{array}{r} 4.45 \\ 3.55 \\ \underline{8.00} \\ 1 1 \\ 57.89 \\ \underline{46.67} \\ 104.56 \\ \underline{1111} \\ 1 \end{array} $

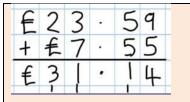
<u>Key Skills</u>

- Select most appropriate method: mental, jottings or written and explain why.
- Recognise the place value of each digit in a four-digit number.
- Round any number to the nearest 10, 100 or 1000.
- Estimate and use inverse operations to check answers.
- Solve 2-step problems in context, deciding which operations and methods to use and why.

- Find 1000 more or less than a given number.
- Continue to practise a wide range of mental addition strategies, ie. number bonds, add the nearest multiple of 10, 100, 1000 and adjust, use near doubles, partitioning and recombining.
- Add numbers with up to 4 digits using the formal written method of column addition
- Solve 2-step problems in contexts, deciding which operations and methods to use and why.
- Estimate and use inverse operations to check answers to a calculation.

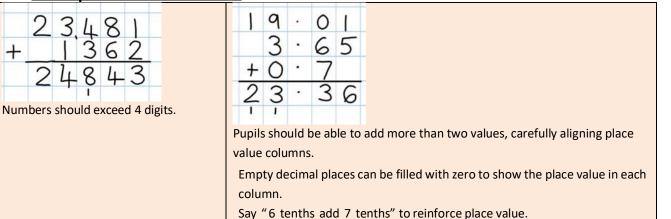
<u>Key</u> <u>vocabulary:</u> thousands, hundreds, digits, inverse

Year 5 Addition



The decimal point should be aligned in the same way as the other place value columns, and must be in the same column in the answer.

Steps to success



Key Skills

• Add numbers mentally with increasingly large numbers, using and practising a range of mental strategies ie. add the nearest multiple of 10, 100, 100 and adjust; use near doubles, inverse, partitioning and re-combining; using number bonds.

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- Use rounding to check answers and accuracy.
- Solve multi-step problems in contexts, deciding which operations and methods to use and why. •
- Read, write, order and compare numbers to at least 1 million and determine the value of each digit.
- Round any number up to 1 000 000 to the nearest 10, 100, 1000, 10 000 and 100 000.
- Add numbers with more than 4 digits using formal written method of columnar addition

Key vocabulary:

decimal places, decimal point, tenths, hundredths. thousandths

Year 6 Addition

Steps to success

_	~	-				
	2	3	٠	3	6	1
		9	•	0	8	
	5	9	•	7	7	
+		1	39 • 2	3		
	9	3	•	5	1	1
	2	1		2		

	8	1	0	5	9				
		3	6	6	8				
	١	5.	3	0	1				
+	2	0	5	5	1				
1	2	0	,5	7	9				
	1	J	1	1					
Addin	g seve	eral n	umb	ers w	ith m	nore t	han	4 dig	gits

Adding several numbers with different numbers of decimal places (including money and measures):

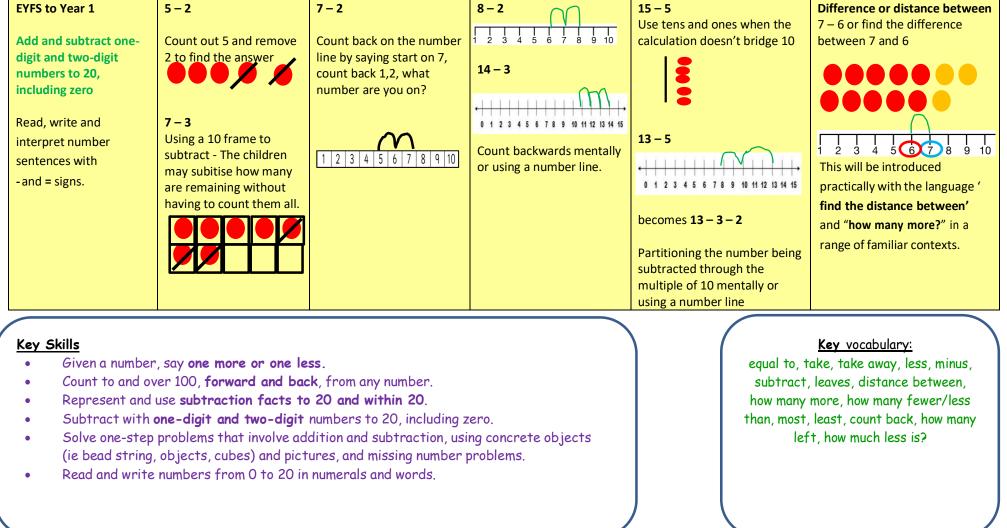
Tenths, hundredths and thousandths should be correctly aligned, with the decimal point lined up vertically including in the answer row.

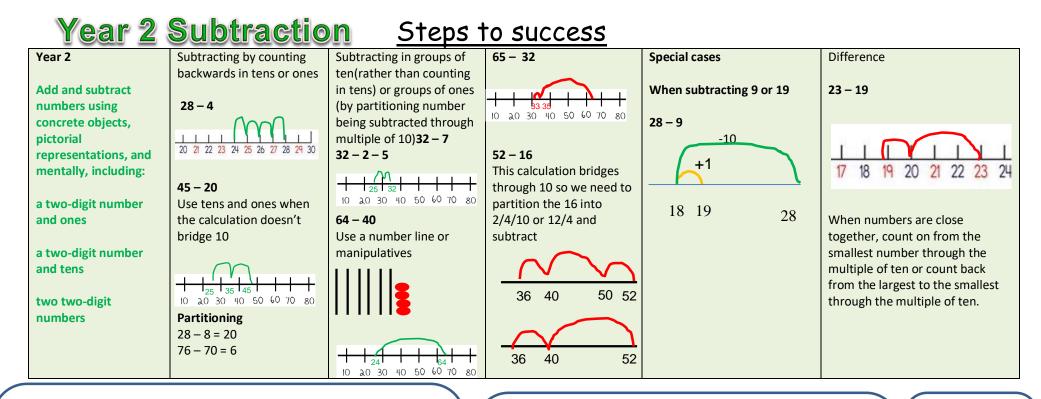
Zeros could be added into any empty decimal places, to show there is no value to add.

<u>Key Skills</u>

- Perform mental calculations, including with mixed operations and large numbers, using and practising a range of mental strategies.
- Solve multi-step problems in context, deciding which operations and methods to use and why.
- Use estimation to check answers to calculations and determine, in the context of a problem, levels of accuracy.
- Read, write, order and compare numbers up to 10 million and determine the value of each digit.
- Round any whole number to a required degree of accuracy.
- Pupils understand how to add mentally with larger numbers and calculations of increasing complexity.

Year 1 Subtraction Steps to success





<u>Key Skills</u>

- Recognise the place value of each digit in a two-digit number.
- Recall and use subtraction facts to 20 fluently, and derive and use related facts up to 100.
- Subtract using concrete objects, pictorial representations, 100 squares and mentally, including: a two- digit number and ones, a two-digit number and tens, and two two-digit numbers.
- Show that subtraction of one number from another cannot be done in any order

- Recognise and use inverse relationship between addition and subtraction, using this to check calculations and missing number problems.
- Solve simple addition and subtraction problems including measures, using concrete objects, pictorial representation, and also applying their increasing knowledge of mental and written methods.
- Read and write numbers to at least 100 in numerals and in words.

<u>Key vocabulary:</u>

difference, count on, strategy, partition, tens, units

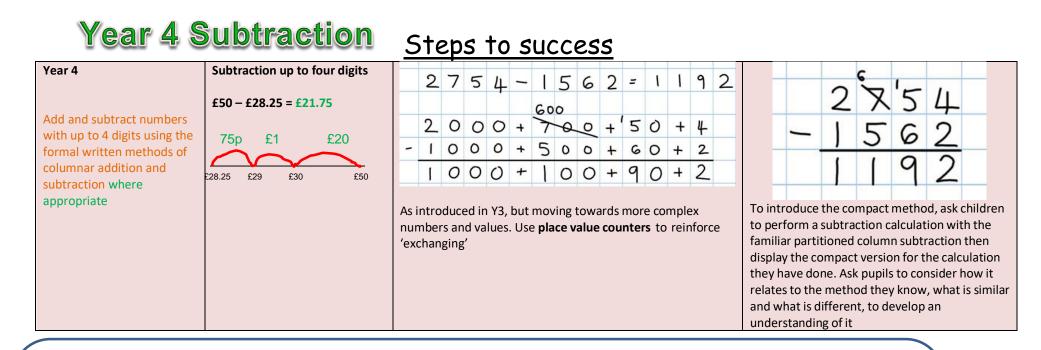
Year 3 Subtraction Steps to success

btracting ones and tens	D		Exchanging method	Difference
om a 3digit number	By counting back in tens and ones	89 - 35 = 54	introduce 'exchanging' through	(see also subtraction up to three digits)
7 - 60 = 507 $5 - 700 = 45$ $2 - 2 = 830$ $4 - 8$ $4 - 4 - 4 = 356$ $6 - 70$ $6 - 50 - 20 = 286$ $6 - 600$ $6 - 600 = 356$	93 – 39 as	80 + 9 $- 30 + 5$ $50 + 4$ Introduce this method with examples where no exchanging is required. When learning to 'exchange', explore 'partitioning in different ways' so that pupils understandthatwhen you exchange, the VALUE is the same ie 72 = 70+2 = 60+12 = 50+22 etc. Emphasise that the value hasn't changed, we have just partitioned it in a different way. $f5.67 - f2.20$ $f5.67 - f2.00 = f3.67$ $f3.67 - 20p = f3.47$	practical subtraction. Make the larger number with Base 10, then subtract 47 from it. 6970 + 12 -40 + 7 20 + 5 = 25 2 38 - 146 = 92 100 + 30 + 8 -100 + 40 + 6 0 + 90 + 2	103 – 87 = 16 When numbers are close together, count on from the smallest number through the multiple of ten or count back from the largest to the smallest through the multiple of ten. 10 3 7 693 700 716 7 16 7 16 7 16 7 7 16 7 7 16 7 7 16 7 7 16 7 7 16 7 7 7 7 7 7 7 7
· · ·	, 3-digit • Count	ing up differences as a menta	strategy when numbers o	are <u>Key vocabulary:</u> exchange, decrease,
4 - 6 - 6 - 6 - 3	- 4 - 4 = 356 - 70 - 50 - 20 = 286 - 600 - 600 = 356 - digit number and ones - digit number and hu	-4 - 4 = 356 -70 $-50 - 20 = 286$ -600 $-600 = 356$ $93 - 39 as$ $93 - 40 + 1$ $53 54$ 93 $4igit number and ones, 3-digit$ $-digit number and hundreds$ 91 $8ecog$ $6count close$	-8 $-4 - 4 = 356$ $-4 - 4 = 356$ -70 $-50 - 20 = 286$ $93 - 39 as$ $93 - 40 + 1$ -600 $-600 = 356$ $53 54$ 93 $+1$ $53 54$ 93 $+1$ $+20 + 24 + 2 = 50 + 22 = 60 + 12 = 50 + 20$	-8 $-4 - 4 = 356$ $-4 - 4 = 356$ -70 $-50 - 20 = 286$ -600 -600 $-600 = 356$ $93 - 39 as$ $93 - 39 as$ $93 - 40 + 1$ -600 $-600 = 356$ $53 54$ 93 $-53 54$ 93 $+2$ $+2$ $+40 + 7$ $-20 + 5 = 25$ $2 3 8 - 1 4 6 = 92$ $+ 3 0 + 8$ $+ 2 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 5 + 2 + 2 + 6 + 12$ $+ 2 + 4 + 7$ $+ 2 + 4 + 7$ $+ 2 + 4 + 7$ $+ 2 + 4 + 7$ $+ 2 + 4 + 6 + 92$ $+ 3 + 8 + 1 + 6 + 92$ $+ 3 + 8 + 1 + 6 + 92$ $+ 3 + 8 + 1 + 6 + 92$ $+ 3 + 8 + 1 + 6 + 92$ $+ 5 + 2 + 2 + 1 + 6 + 92$ $+ 1 + 0 + 6 + 10 + 10 + 10 + 10 + 10 + 1$

- Estimate answers and use inverse operations to check
- Solve problems, including missing number problems.
- Find 10 or 100 more or less than a given number.

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- Practise mental subtraction strategies, such as subtracting near multiples of 10 and adjusting (e.g. subtracting 19 or 21), and select most appropriate methods

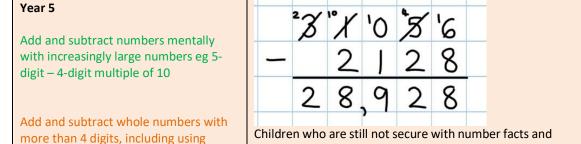
hundreds, value, digit



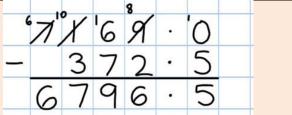
<u>Key Skills</u>

- Subtract by counting on where numbers are close together or they are near to multiples of 10, 100 etc.
- Children select the most appropriate and efficient methods for given subtraction calculations.
- Estimate and use inverse operations to check answers.
- Solve addition and subtraction 2-step problems, choosing which operations and methods to use and why.
- Solve simple measure and money problems involving fractions and decimals to two decimal places.
- Find 1000 more or less than a given number.
- Count backwards through zero, including negative numbers.
- Recognise place value of each digit in a 4-digit number Round any number to the nearest 10, 100 or 1000
- Solve number and practical problems that involve the above, with increasingly large positive numbers.

Year 5 Subtraction Steps to success



Children who are still not secure with number facts and place value will need to remain on the partitioned column method until ready for the compact method.



Subtract with decimal values, including mixtures of integers and decimals, aligning the decimal point

Add a 'zero' in any empty decimal places to aid understanding of what to subtract in that column.

<u>Key Skills</u>

formal written methods (columnar

addition and subtraction)

- Subtract numbers mentally with increasingly large numbers .
- Use rounding and estimation to check answers to calculations and determine, in a range of contexts, levels of accuracy.
- Solve addition and subtraction multi-step problems in context, deciding which operations and methods to use and why.
- Read, write, order and compare numbers to at least 1 million and determine the value of each digit.
- Count forwards or backwards in steps of powers of 10 for any given number up to 1 million.
- Interpret negative numbers in context, counting forwards and backwards with positive and negative integers through 0.
- Round any number up to 1 million to the nearest 10, 100, 1000, 10000 and 100000.

<u>Key vocabulary:</u> tenths, hundredths, decimal point, decimal

Year 6	Sul	btr	ac	tic	n		Ste	ps	<u>to s</u>	Suco	cess	5					
Year 6		°Y	"K	1g	<u>'</u> ۵	q	q			Y	jø	'5	٠	3K	4	9	kg
Perform mental calculations, including with mixed operations	- 8	, رمر ٩	9.9			-		3	6	•	0	8		kg			
and large numbers		60.7		5	5 0				6	9	•	3	3	9	kg		
	Using the compact column method to subtract more complex integers					Using the compact column method to subtract money and measures, including decimals with different numbers of decimal places.											
more complex integers						Empty decimal places can be filled with zero to show the place value in each column.							the place				

Key Skills

- Solve addition and subtraction multi-step problems in context, deciding which operations and methods to use and why.
- Read, write, order and compare numbers up to 10 million and determine the value of each digit
- Round any whole number to a required degree of accuracy
- Use negative numbers in context, and calculate intervals across zero.
- Children need to utilise and consider a range of mental subtraction strategies, jottings and written methods before choosing how to calculate.

Year 1 Multiplication Steps to success

	Count in multiples of twos, fives and tens from any number		There are two apples on one plate. How many apples on 3 plates?
involving multiplication and division, by calculating the answer using concrete objects,	Present practical problem solving activities involving counting equal sets or		
pictorial representations and arrays with the support of the teacher.	groups, as above.		

Key Skills

Count in multiples of 2, 5 and 10 starting from any number.

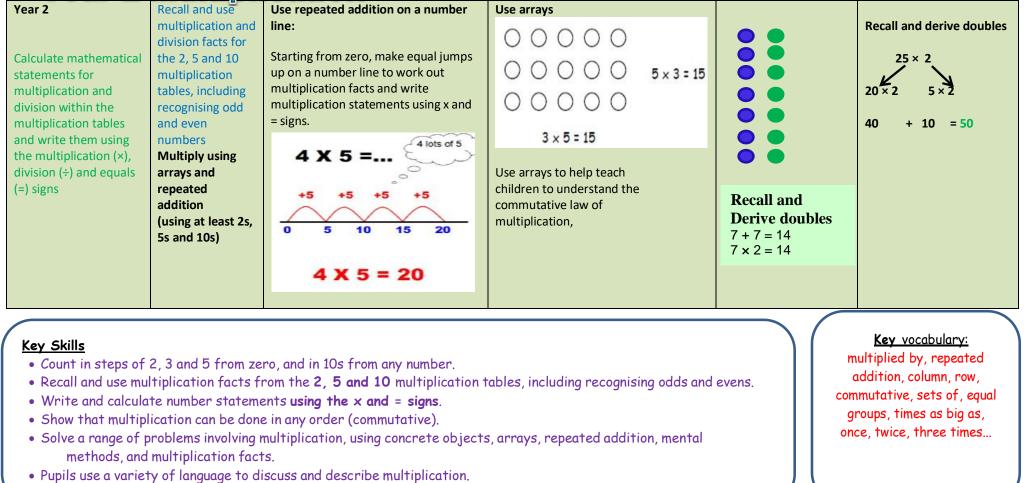
Solve one-step problems involving multiplication, by calculating the answer using concrete objects, pictorial representations and arrays with the support of the teacher.

Make connections between arrays, number patterns, and counting in twos, fives and tens.

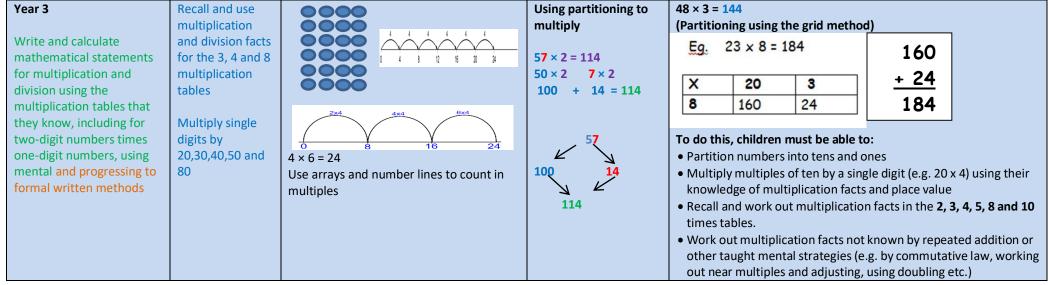
Begin to understand doubling using concrete objects and pictorial representations.

Key vocabulary: groups of, lots of, times, array, altogether, multiply, count

Year 2 Multiplication Steps to success



Year 3 Multiplication Steps to success



Key Skills

- Recall and use multiplication facts for the 2, 3, 4, 5, 8 and 10 multiplication tables, and multiply multiples of 10.
- Write and calculate number statements using the multiplication tables they know, including **2-digit** × single-digit, drawing upon mental methods, and progressing to reliable written methods.
- Solve multiplication problems, including missing number problems.
- Develop mental strategies using commutativity (e.g. $4 \times 12 \times 5 = 4 \times 5 \times 12 = 20 \times 12 = 240$)
- Solve simple problems in contexts, deciding which operations and methods to use.
- Develop efficient mental methods to solve a range of problems e.g using commutativity ($4 \times 12 \times 5 = 4 \times 5 \times 12 = 20 \times 12 = 240$) and for missing number problems $? \times 5 = 20$, $3 \times ? = 18$, $? \times 1 = 32$

<u>Key vocabulary:</u> partition, grid method, multiple, product, tens, units, value

Year 4 Multiplication

Steps to success

Year 4	Recall multiplication and	Menta	I			67 × 9				Partitioning grid mu	ultiplication leading to fo	ormal compact	
Use place value, known and	division facts for	Multip	lying by	y 10 and	100					methods			
derived facts to multiply and divide mentally, including:	multiplication tables up to 12×12 (facts for	Th H T U			×				67 × 9 =				
multiplying by 0 and 1; dividing by 1; multiplying	6,7,9,11,12 are new)			2	4	9		540	63	6 7	540 + <mark>63</mark> = 603		
together three numbers	Multiply single digits by 60,70, and 90	2 4 0 0								<u> 6 9 </u>	$\begin{array}{c} 6 9 \\ \hline 603 \end{array}$		
Multiply and divide two-digit		Eg. 24	× 100			437 × 6				Children should be	able to:		
and three-digit numbers by a one-digit number using formal		Partitioning 267 × 2 200 × 2 = 400				×	400	30	7	Approximate before they calculate, and make this a regular part of their calculating, going back to the approximation to check the reasonableness of their			
written layout						6	2400	180	42				
		60 × 2 = 120 7 × 2 = 14 400 + 120 + 14 =534				2400 +	180 + 42	2 = 2622		answer. e.g: 346 x 9 is approximately 350 x 10 = 3500 Record an approximation to check the final answer against.			

<u>Key Skills</u>

- Count in multiples of 6, 7, 9, 25 and 1000
- Recall multiplication facts for all multiplication tables up to 12 x 12.
- Recognise place value of digits in up to 4-digit numbers
- Use place value, known facts and derived facts to multiply mentally, e.g. multiply by 1, 10, 100, by 0, or to multiply 3 numbers.
- Use commutativity and other strategies mentally $3 \times 6 = 6 \times 3$, $2 \times 6 \times 5 = 10 \times 6$, $39 \times 7 = 30 \times 7 + 9 \times 7$.
- Solve problems with increasingly complex multiplication in a range of contexts.
- Count in multiples of 6, 7, 9, 25 and 1000
- Recognise the place value of each digit in a four-digit number (thousands, hundreds, tens, and ones)

Year 5	Multiply and divide numbers	Mental calculation	Short multiplication for multiplying by a single digit	Introduce long multiplication for multiplying by 2 digits
Multiply numbers up to 4 digits by a one- or two-digit number using a formal written method, including long multiplication	mentally drawing upon known facts multiply and divide whole numbers and those involving	Partitioning 407×4 $400 \times 4 = 1600$ $0 \times 4 = 0$ $7 \times 4 = 28$ 1600 + 28 = 1628	× 300 20 7 3 2 7 4 1200 80 28 1 3 0 8 Introduce by comparing a grid method	10810100101001010033024
for two-digit numbers	decimals by 10, 100 and 1000	Rounding and adjusting £3.99 × 6 £4 × 6 = £24 £24.00 - £0.06 = £23.94 28 × 19 28 × 10 × 2 = 560 560 - 28 = 532	 calculation to a short multiplication method, to see how the steps are related, but notice how there are less steps involved in the column method. Children need to be taught to approximate first, e.g. for 72 x 38, they will use rounding: 72 x 38 is approximately 70 x 40 = 2800, and use the approximation to check the reasonableness of their answer against. 	1 8 × 1 8 × 1 3 5 4 1 8 0 2 3 4

Identify multiples and factors, using knowledge of **multiplication tables to 12x12**. Solve problems where larger numbers are decomposed into their factors Multiply and divide integers and decimals by 10, 100 and 1000

Recognise and use square and cube numbers and their notation

Solve problems involving combinations of operations, choosing and using calculations and methods appropriately.

Video clips: <u>Moving from grid method to a compact method (youtube)</u>

<u>Key vocabulary:</u> square, factor, integer, decimal, short/long multiplication, 'carry'

Year 6 Multiplication Steps to success

Year 6Perform mental calculations, including with	Mental calculation Partitioning	3652	1234	Multiply decimals with up to 2d.p by a single digit.
numbers up to 4 digits by a two-digit whole number using the formal written method of long multiplication	5.7 × 6	× 8 2 9,2 1 6 5 4 /	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$

<u>Key Skills</u>

- Recall multiplication facts for all times tables up to 12 x 12 (as Y4 and Y5).
- Multiply multi-digit numbers, up to 4-digit x 2-digit using long multiplication.
- Perform mental calculations with mixed operations and large numbers.
- Solve multi-step problems in a range of contexts, choosing appropriate combinations of operations and methods.
- Estimate answers using round and approximation and determine levels of accuracy.
- Round any integer to a required degree of accuracy.

Video clips:

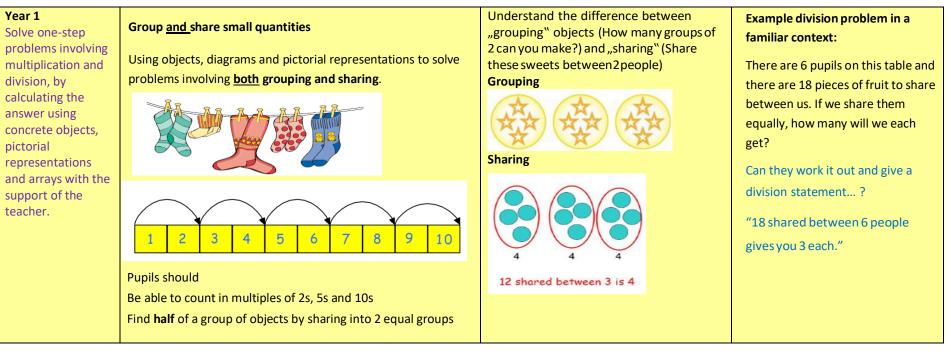
Moving from grid method to a compact method (youtube) Reinforcing rapid times table recall: (youtube)

Demonstration of long multiplication (SLEP)

<u>Key vocabulary:</u> tenths, hundredths, decimal

Year 1 Division

Steps to success



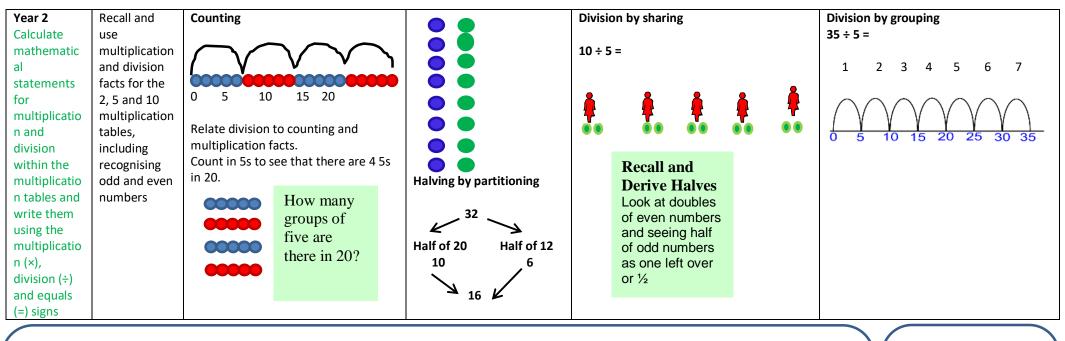
<u>Key Skills</u>

- Solve one-step problems involving multiplication and division, by calculating the answer using concrete objects, pictorial representations arrays with the support of the teacher
- Through grouping and sharing small quantities, pupils begin to understand, division, and finding simple fractions of objects, numbers and quantities.
- They make connections between arrays, number patterns, and counting in twos, fives and tens.

Key vocabulary: share, share equally, one each, two each..., group, groups of, lots of, array

Year 2 Division

Steps to success



<u>Key Skills</u>

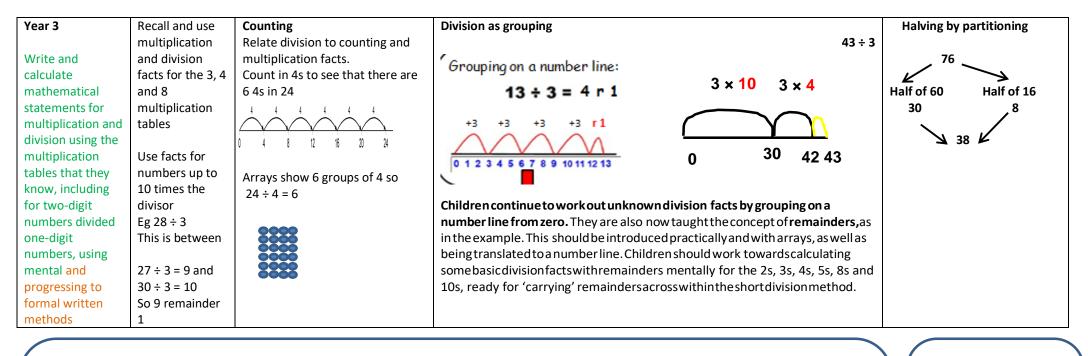
- Count in steps of 2, 3, and 5 from 0
- Recall and use multiplication and division facts for the 2, 5 and 10 multiplication tables, including recognising odd and even numbers.
- Calculate mathematical statements for multiplication and division within the multiplication tables and write them using the x, ÷ and = signs.
- Show that multiplication of two numbers can be done in any order (commutative) and division of one number by another cannot.
- Solve problems involving multiplication and division, using materials, arrays, repeated addition, mental methods, and multiplication and division facts, including problems in contexts.

<u>Key vocabulary:</u>

divide, divided by, divided into, division, grouping, number line, left, left over

Year 3 Division Steps

Steps to success



<u>Key Skills</u>

- Recall and use multiplication and division facts for the 2, 3, 4, 5, 8 and 10 multiplication tables (through doubling, connect the 2, 4 and 8s).
- Write and calculate mathematical statements for multiplication and division using the multiplication tables that they know, including for two-digit numbers times one-digit numbers, using mental and progressing formal written methods.
- Solve problems, in contexts, and including missing number problems, involving multiplication and division.
- Pupils develop efficient mental methods, for example, using multiplication and division facts
- (e.g. using $3 \times 2 = 6$, $6 \div 3 = 2$ and $2 = 6 \div 3$) to derive related facts ($30 \times 2 = 60$, so $60 \div 3 = 20$ and $20 = 60 \div 3$).
- Pupils develop reliable written methods for division, starting with calculations of 2-digit numbers by 1-digit numbers and progressing to the formal written method of short division.

Kev vocabulary: inverse, short division, 'carry', remainder, multiple

Year 4 Division Steps to success

Year 4 Use place value,	Division facts for multiplication	Short division: Limit numbers to <u>NO</u> remainders in the answer <u>OR</u> carried (each digit must be a multiple of the	Short division: Limit numbers to NO remainders in the final answer, but	2 1 8 Pupils move onto dividing numbers
known and derived facts to multiply and divide mentally, including: multiplying by 0 and 1; dividing by	tables up to 12 × 12 Use facts for numbers up to 10 times the divisor	divisor 3 2 3 9 6	with remainders occurring within the calculation. Once children demonstrate a full understanding of remainders, and	with up to 3-digits by a single digit, however problems and calculations provided should not result in a final answer with remainder at this stage.
1; multiplying together three numbers Divide two-digit and three-digit numbers by a	Eg 75 \div 9 This is between 72 \div 9 = 8 and 81 \div 9 = 9 So 8 remainder 3	 Remind children of correct place value, that 96 is equal to 90 and 6, but in short division, pose: How many 3's in 9? = 3, and record it above the 9 tens. How many 3's in 6? = 2, and record it above the 6 units. 	also the short division method taught, they can be taught how to use the method when remainders occur within the calculation (e.g. 96+4), and be taught to 'carry' the remainder onto the next digit. If needed, children should use the number line to work out	$\begin{array}{c} 037\\ 51835 \end{array}$ When the answer for the first column is zero (1 ÷ 5, as in example), children could initially write a zero above to acknowledge its place, and must
one-digit number using formal written layout		Once children are secure with division as grouping and demonstrate this using number lines, arrays etc., short division for larger 2-digit numbers should be introduced, initially with carefully selected examples requiring no calculating of remainders at all. Start by introducing the layout of short division by comparing it to an array.	individual division facts that occur which they are not yet able to recall mentally.	always 'carry' the number (1) over to the next digit as a remainder

Key Skills

Recall multiplication and division facts for all numbers up to 12×12 .

Use place value, known and derived facts to multiply and divide mentally, including: multiplying and dividing by 10 and 100 and 1.

Pupils practise to become fluent in the formal written method of short division with exact answers when dividing by a one-digit number

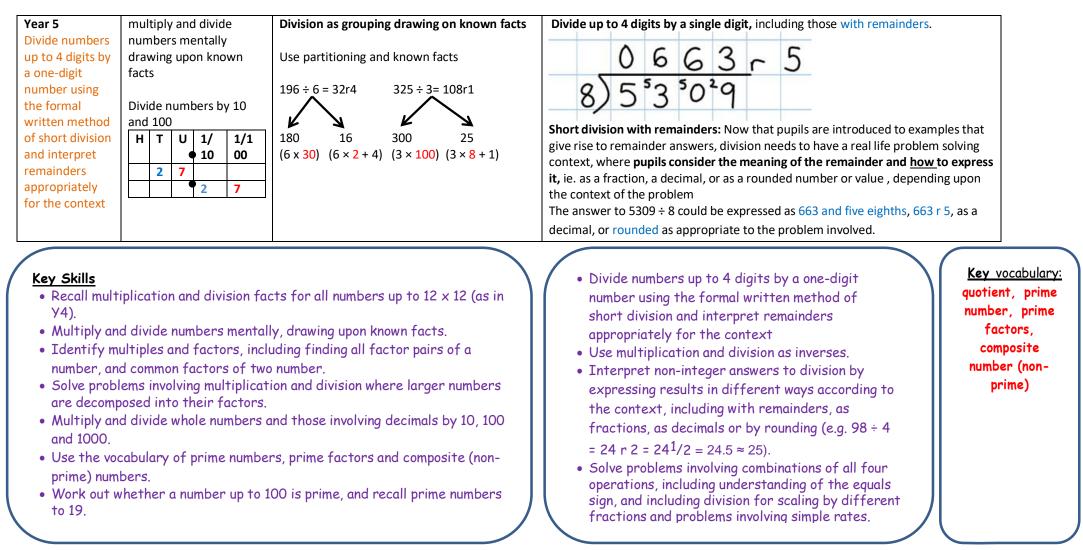
Pupils practise mental methods and extend this to three-digit numbers to derive facts, for example

200 × 3 = 600 so 600 ÷ 3 = 200

Pupils solve two-step problems in contexts, choosing the appropriate operation, working with increasingly harder numbers. This should include correspondence questions such as three cakes shared equally between 10 children.

Key vocabulary: divisible by, factor

Year 5 Division Steps to success



Y	'ear 6 D	ivision	<u>Steps to success</u>	
Year 6	Use known facts	Use tests of divisibility	Short division, for dividing by a single digit	Introduce long division by chunking for dividing by 2
		Multiple of 3, digits in		digits
Divide numbers up to 4	Know 378 is a	the number add to 3, 6	Short division with remainders:	27 Find out 'How many 36s are
digits by a two-digit	multiple of 3	or 9	0 8 1 2 1 2 5 Pupils should continue to use this	36 972 in 972?' by subtracting
whole number using	because		8) $64 9'7'0'0'$ method, but with numbers to at	$-\frac{720}{20x}$ 'chunks' of 36, until zero is
the formal written	300/60 and 18	Multiple of 4, tens and	least 4 digits, and understand	252 reached (or until there is a
method of long	are all multiples	ones in the number are	how to express remainders as fractions, deci- mals, whole	remainder)
division, and interpret	of 3	a multiple of 4	number remainders, or rounded numbers. Real where life	l leach pupils to write a 'bank'
remainders as whole			problem solving contexts need to be the starting point, pupils	0 first at the side that will help
number remainders,		Multiple of 6, the	have to consider the most appropriate way to express the	them decide what chunks to
fractions, or by	Know 385 is a	number is even and	remainder.	Answer: 27 use, e.g.:
rounding, as	multiple of 7	digits in the number	Calculating a decimal remainder: In this example, rather than	<u>Bank</u> 1x=36
appropriate for the	because	add to 3, 6 or 9	expressing the remainder as <u>r 1</u> , a decimal point is added after	10x = 360
context	350 and 35 are		the units because there is still a remainder, and the one	100x = 3600
	multiples of 7	Multiple of 9, digits in	remainder is carried onto zeros after the decimal point (to	Introduce the method in a simple way by limiting the
Divide numbers up to 4		the number add to 9	show there was no decimal value in the original number).	choice of chunks to 'Can we use 10 lots? Can use 100
digits by a two-digit			Keep dividing to an appropriate degree of accuracy for the	lots?' As children become confident with the process,
number using the			problem being solved.	encourage more efficient chunks to get to the answer
formal written method				more quickly (e.g. 20x, 5x), and expand on their
of short division where				'bank'.
appropriate,				
interpreting				
remainders according				
to the context				

<u>Key Skills</u>

- Recall and use multiplication and division facts for all numbers to 12 x 12 for more complex calculations
- Divide numbers up to 4 digits by a two-digit whole number using the formal written method of long division, and interpret remainders as whole number remainders, fractions, or by rounding, as appropriate for the context. Use short division where appropriate.
- Perform mental calculations, including with mixed operations and large numbers.
- Identify common factors, common multiples and prime numbers.
- Use estimation to check answers to calculations and determine accuracy, in the context of a problem.
- Use written division methods in cases where the answer has up to two decimal places.
- Solve problems which require answers to be rounded to specified degrees of accuracy.

<u>Key</u> <u>vocabulary:</u> common factor